Subject/Grade: Math 8 Lesson Title: An Introduction to Pythagorean Theorem Teacher: Chandra Wassill				
Stage 1: Identify Desired Results				
Established Goals: (Learning outcome/s & indicator/s from curriculum)				
SS8.1 Demonstrate understanding of the Pythagorean Theorem concretely or pictorially and symbolically and by solving problems. a. Generalize the results of an investigation of the expression a ² +b ² =c ² (where a, b, and c				
are the lengths of the sides of a right triangle, c being the longest)				
Note: This is the introduction of the relationship described by the Pythagorean Theorem, the expression will not yet be introduced				
Understandings: (can also be written as 'I Can' statements) Students will understand	U	Essential Questions:		
I can understand the relationship described by the Pythagorean Theorem I can solve problems about the Pythagorean Theorem		What is the relationship between the areas of squares formed off the 3 sides of a right triangle?		
Students will know K	Students will be able to			
Pythagorean Theorem, right triangle properties	Investigate the relationship described by the Pythagorean Theorem and generalize their findings Demonstrate their understanding through solving problems			
Stage 2: Determine Evidence for Assessing Learning				
Formative assessment throughout the lesson: Students can show an understanding of the relationship through class investigation and discussion. Students will solve problems independently.				
Stage 3: Build Learning Plan				
Instructional Strategies:				
Inquiry, whole-class discussion, independent problem solving				

Set (Engagement): Concept Check In Le	ength of Time: 5 mins	Materials/Resources:
Plan: Review how side length and area of a square length², side length = \sqrt{area}). Review properti triangle (2 legs, hypotenuse across from right (slide 1 & 2)Instructions: If we know the side length of a square is 3, he area? How can we generalize this? (area = side)	es of a right angle angle) ow can we find the	Masking tape Maker Whiteboard Math Makes Sense 8 Textbook Exit slip Aligned square tiles (if not available, use checker boards, graph paper, projection of tiles etc)
If we know the area of a square is 25, how callength? How can we generalize this? (side lead A right triangle is a triangle with a 90 degree a this like a corner. The side across from this 90 hypotenuse. The other sides are called legs. On this right angle, is side 1, 2, or 3 the hypotenet: Investigation	ngth = √area) angle. We can think of 0 degree angle is the	Possible Adaptations/ Differentiation: Some students may not be able to work on the floor, projection of grid may also be used instead
<u>Plan:</u> Use floor tiles and tape to investigate the relaringht triangles and squares. During investigate discussion about what we notice is happening discussion to show that the area of leg 1 + the area of the hypotenuse and to describe the reside length and area. Explore how this helps length, and what we could do if we knew the side leg, but not the other. Provide textbook problems for students to sol page 34 3a, 4a, 5a, 6a	ion we have g. Guide the e area of leg 2 = the elationship in terms of us find the side hypotenuse and one	Management Strategies: Monitoring class discussion and keeping it focused by recentering Ensure students know what to do do when they are complete their work so they stay on task and do not distract others
 <u>Instructions:</u> There is a relationship we can use to find one a right triangle when we know the other 2 side relationship is called the Pythagorean Theore work together to discover this relationship the says Pythagoras did. We will start by using tape to make a right trial legs will measure 1 tile each. Record side len Do we know what the length of the hyperbolic start by the says whet the length of the hyperbolic start by the says whet the length of the hyperbolic start by the says whet the length of the hyperbolic start by the says whet the length of the hyperbolic start by the says whet the length of the hyperbolic start by the says whet the length of the hyperbolic start by the says whet the length of the hyperbolic start by the says whet the length of the hyperbolic start by the says whet the length of the hyperbolic start by the says whet the length of the hyperbolic start by the says whet the length of the hyperbolic start by the says whet the length of the hyperbolic start start by the says whet the length of the hyperbolic start start start start by the says whet the length of the hyperbolic start start start start by the says whet the length of the hyperbolic start st	e lengths. This em. We are going to e same way legend angle in one tile. The igths on the tape.	Safety Considerations: Ensure there is enough space for students to safely gather while working on the floor

What do we notice about how it interacts with the other tiles? Are there any shapes connected to the triangle? (Guide to making squares of each side with the tape). What is the area of each square (record on tape)? Now can we find the length of the hypotenuse? What did we notice?		
Repeat with a right triangle with legs measuring one 1 tile by 2 tiles		
Finally, repeat with a triangle with dimensions of students choosing (between 1-4 tiles for space reasons)		
Discuss: Did we see a pattern? What generalizations could we make? (Guide to Area of leg 1 + area of leg 2 = area of hypotenuse). How does this help us find the side length? What could we do if we knew the hypotenuse and one side leg, but not the other?		
During discussion note key findings on the board.		
Once there is an understanding of the relationship, give textbook questions 3a, 4a, 5a, 6a on page 34 for independent work		
Closure: Predicting what comes next Time: 2 mins		
Instructions: Once students complete independent work (or a couple minutes remain in lesson time, whichever comes first) have them fill out an exit form where they will create a formula to generalize what they learned.		
Stage 4: Reflection		

-Went well, felt good about it, my timing was good, liked having the model on the floor to refer to when helping with questions

-How could I help solve the questions without I do-we do-you do (what alternatives can I use?)

- This lesson really engaged C***** right away
- Many students were engaged, especially since it visualized and explained the relations, not just having students "do it"

- Need to consider how this lesson could work for a class larger than 8